

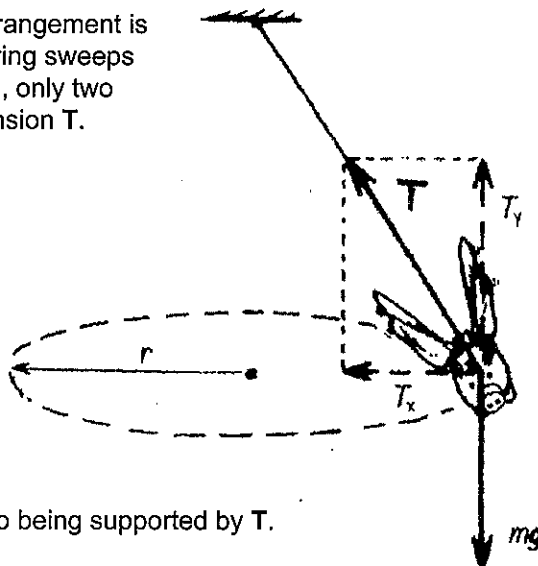
# CONCEPTUAL *Physics* PRACTICE PAGE

## Chapter 8 Rotational Motion The Flying Pig

The toy pig flies in a circle at constant speed. This arrangement is called a conical pendulum because the supporting string sweeps out a cone. Neglecting the action of its flapping wings, only two forces act on the pig—gravitational  $mg$ , and string tension  $T$ .

### Vector Component Analysis:

Note that vector  $T$  can be resolved into two components—horizontal  $T_x$  and vertical  $T_y$ . These vector components are dashed to distinguish them from the tension vector  $T$ .

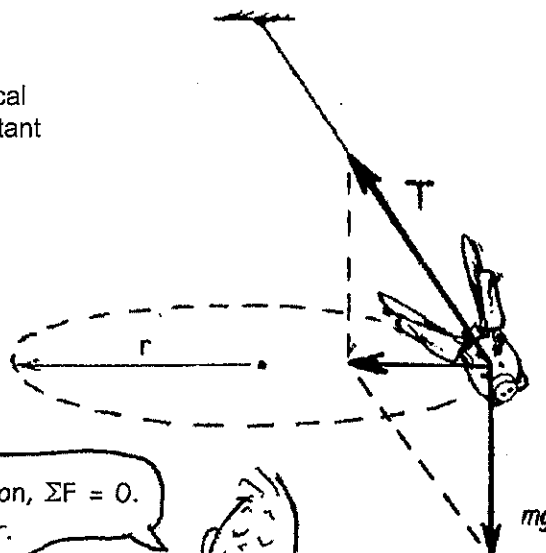


Circle the correct answers.

- If  $T$  were somehow replaced with  $T_x$  and  $T_y$  the pig [would] [would not] behave identically to being supported by  $T$ .
- Since the pig doesn't accelerate vertically, compared with the magnitude of  $mg$ , component  $T_y$  must be [greater] [less] [equal and opposite].
- The velocity of the pig at any instant is [along the radius of] [tangent to] its circular path.
- Since the pig continues in circular motion, component  $T_x$  must be a [centripetal] [centrifugal] [nonexistent] force, which equals [zero] [ $mv^2/r$ ].  
Furthermore,  $T_x$  is [along the radius] [tangent to] the circle swept out.

### Vector Resultant Analysis:

- Rather than resolving  $T$  into horizontal and vertical components, use your pencil to sketch the resultant of  $mg$  and  $T$  using the *parallelogram rule*.
- The resultant lies in a [horizontal] [vertical] direction and [toward] [away from] the center of the circular path. The resultant of  $mg$  and  $T$  is a [centripetal] [centrifugal] force.



For straight-line motion with no acceleration,  $\Sigma F = 0$ .  
But for uniform circular motion,  $\Sigma F = mv^2/r$ .

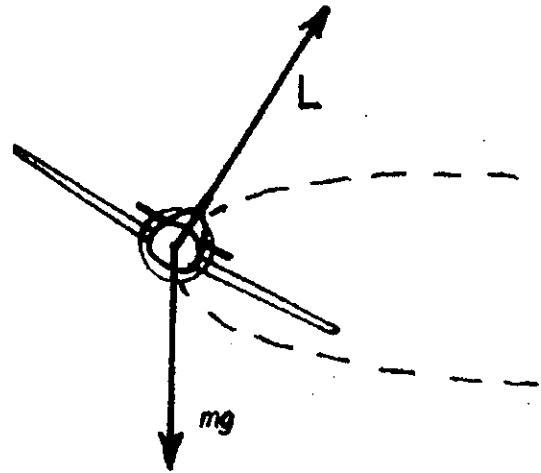


**Chapter 8 Rotational Motion**  
**Banked Airplanes**

An airplane banks as it turns along a horizontal circular path in the air. Except for the thrust of its engines and air resistance, the two significant forces on the plane are gravitational  $mg$  (vertical), and lift  $L$  (perpendicular to the wings).

*Vector Component Analysis:*

With a ruler and a pencil, resolve vector  $L$  into two perpendicular components, horizontal  $L_x$  and vertical  $L_y$ . Make these vectors dashed to distinguish them from  $L$ .

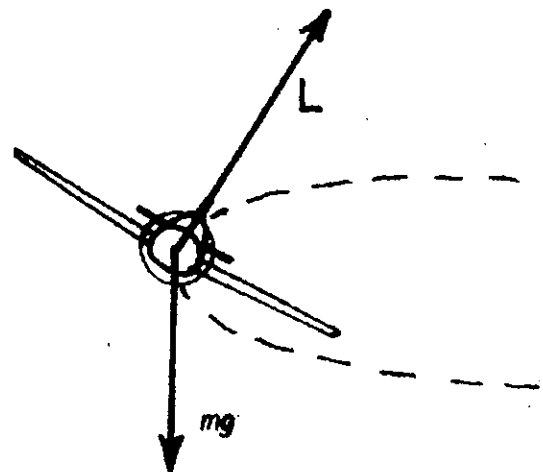


*Circle the correct answers.*

- The velocity of the airplane at any instant is  
 [along the radius of]  [tangent to] its circular path.
- If  $L$  were somehow replaced with  $L_x$  and  $L_y$ ,  
the airplane  [would]  [would not] behave the same as being supported by  $L$ .
- Since the airplane doesn't accelerate vertically, component  $L_y$  must be  
 [greater than]  [less than]  [equal and opposite to]  $mg$ .
- Since the plane continues in circular motion, component  $L_x$  must equal  [zero]  [ $mv^2/r$ ]  
and be a  [centripetal]  [centrifugal]  [nonexistent] force. Furthermore,  $L_x$  is  
 [along the radius of]  [tangent to] the circular path.

*Vector Resultant Analysis:*

- Rather than resolving  $L$  into horizontal and vertical components, use your pencil to sketch the resultant of  $mg$  and  $L$  using the *parallelogram rule*.
- The resultant lies in a  [horizontal]  [vertical] direction and  [toward]  [away from] the center of the circular path. The resultant of  $mg$  and  $L$  is a  [centripetal]  [centrifugal] force.
- The resultant of  $mg$  and  $L$  is the same as  [ $L_x$ ]  [ $L_y$ ].



**Challenge:** Explain in your own words why the resultant of two vectors can be the same as a single component of one of them.

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Drew it!