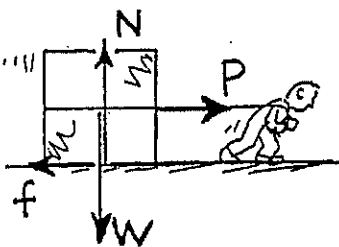
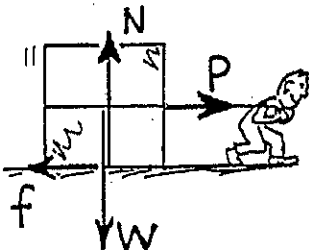
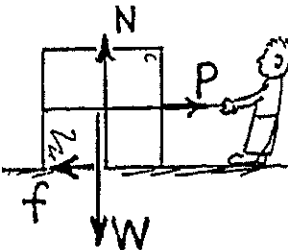
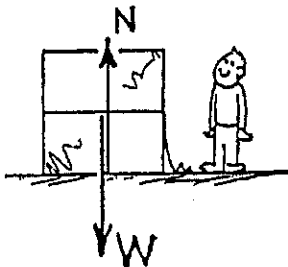


# CONCEPTUAL *Physics* PRACTICE PAGE

## Chapter 4 Newton's Second Law of Motion

### Friction



1. A crate filled with delicious junk food rests on a horizontal floor. Only gravity and the support force of the floor act on it, as shown by the vectors for weight  $W$  and normal force  $N$ .

- a. The net force on the crate is [zero] [greater than zero].
- b. Evidence for this is \_\_\_\_\_.

2. A slight pull  $P$  is exerted on the crate, not enough to move it.

- a. The force of friction  $f$  acting on the crate is [less than] [equal to] [greater than]  $P$ .
- b. The net force on the crate is [zero] [greater than zero].

3. Pull  $P$  is increased until the crate begins to move. It is pulled so that it moves with constant velocity across the floor.

- a. Friction  $f$  is [less than] [equal to] [greater than]  $P$ .
- b. Constant velocity means acceleration is [zero] [greater than zero].
- c. The net force on the crate is [less than] [equal to] [greater than] zero.

4. Pull  $P$  is further increased and is now greater than friction  $f$ .

- a. The net force on the crate is [less than] [equal to] [greater than] zero.
- b. The net force acts toward the right, so acceleration acts toward the [left] [right].

5. If the pulling force  $P$  is 150 N and the crate doesn't move, what is the magnitude of  $f$ ? \_\_\_\_\_

6. If the pulling force  $P$  is 200 N and the crate doesn't move, what is the magnitude of  $f$ ? \_\_\_\_\_

7. If the force of sliding friction is 250 N, what force is necessary to keep the crate sliding at constant velocity? \_\_\_\_\_

8. If the mass of the crate is 50 kg and sliding friction is 250 N, what is the acceleration of the crate when the pulling force is 250 N? \_\_\_\_\_ 300 N? \_\_\_\_\_ 500 N? \_\_\_\_\_

*Hewitt  
Drew!*

**Chapter 4 Newton's Second Law of Motion**  
**Falling and Air Resistance**

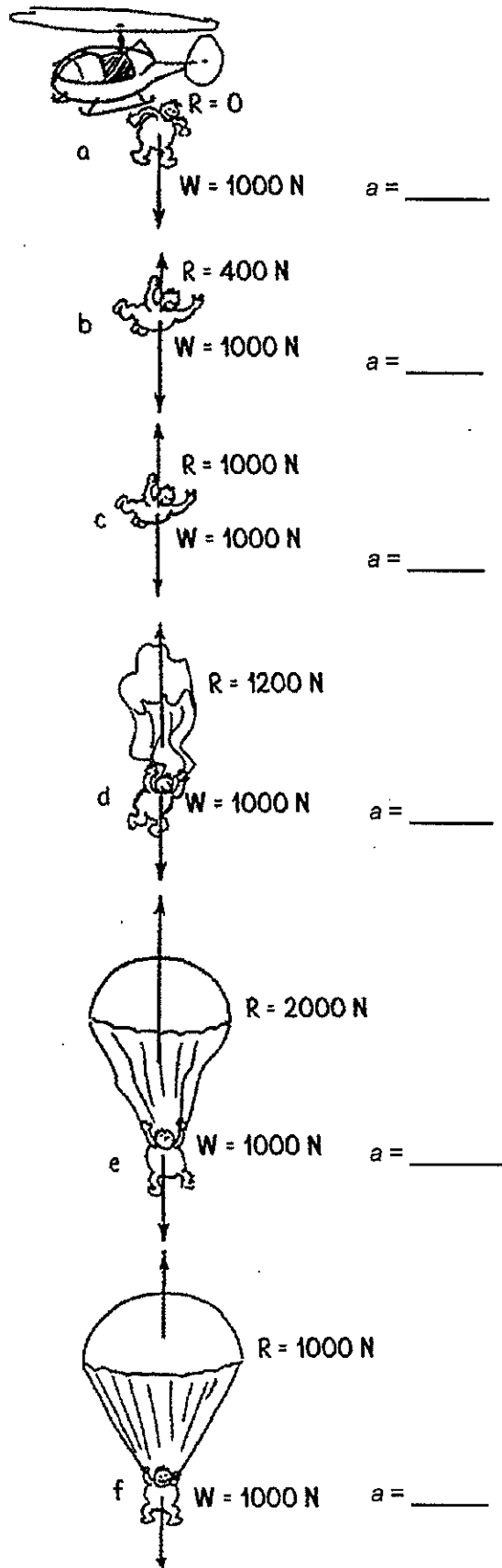
Bronco skydives and parachutes from a stationary helicopter. Various stages of fall are shown in positions *a* through *f*. Letting downward be positive in direction, and using Newton's Second Law,

$$a = \frac{F_{\text{net}}}{m} = \frac{W - R}{m}$$

find Bronco's acceleration at each position (answer in the blanks to the right). You need to know that Bronco's mass *m* is 100 kg so his weight is a constant 1000 N. Air resistance *R* varies with speed and cross-sectional area as shown.

Circle the correct answers:

- When Bronco's speed is least, his acceleration is [least] [most].
- In which position(s) does Bronco experience a downward acceleration?  
 [a] [b] [c] [d] [e] [f]
- In which position(s) does Bronco experience an upward acceleration?  
 [a] [b] [c] [d] [e] [f]
- When Bronco experiences an upward acceleration, his velocity is [still downward] [upward also].
- In which position(s) is Bronco's velocity constant?  
 [a] [b] [c] [d] [e] [f]
- In which position(s) does Bronco experience terminal velocity?  
 [a] [b] [c] [d] [e] [f]
- In which position(s) is terminal velocity greatest?  
 [a] [b] [c] [d] [e] [f]
- If Bronco were heavier, his terminal velocity would be [greater] [less] [the same].



*Hewitt  
Drew it!*